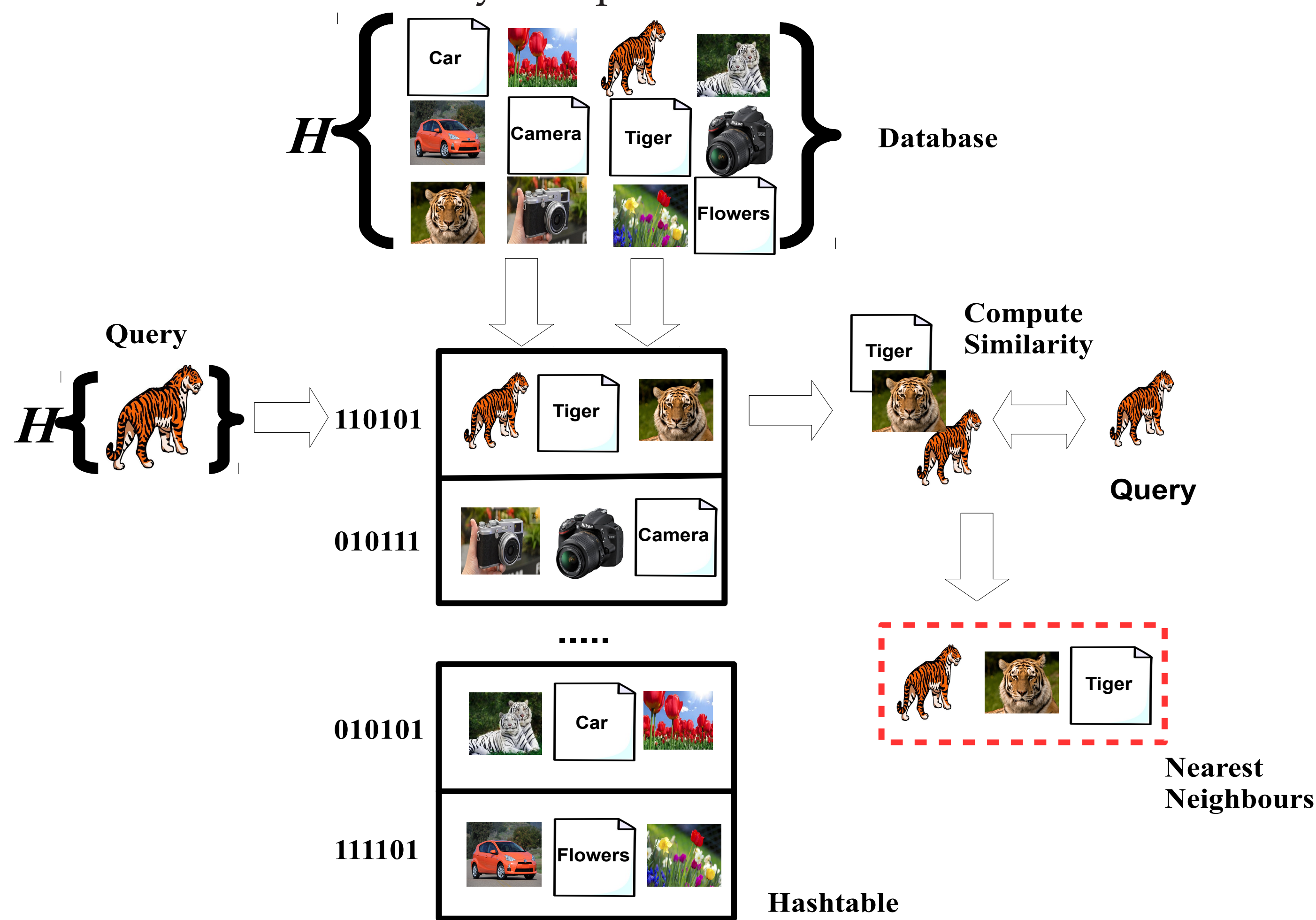


MULTI-MODAL RETRIEVAL USING BINARY HASHCODES

- **Research Question:** Can learning binary hashcodes for cross-modal data-points enable efficient and effective multi-modal retrieval?
- **Approach:** we learn **hyperplanes** that split both feature spaces (e.g. text, image descriptors) into buckets so that similar cross-modal data-points fall into the buckets labelled with the same hashcodes.

HASHING-BASED APPROXIMATE NEAREST NEIGHBOUR SEARCH

- **Problem:** Nearest Neighbour (NN) search in multi-modal datasets.
- **Hashing-based approach:**
 - Generate a similarity preserving binary hashcode for query.
 - Use the fingerprint as index into the buckets of a hash table.
 - If collision occurs only compare to items in the same bucket.



- *Hashtable buckets are the polytopes formed by intersecting hyperplanes in the word and image descriptor feature spaces.*
- **This work:** learn hyperplanes to encourage collisions between similar multi-modal data-points.

REGULARISED CROSS-MODAL HASHING (RCMH)

- **Step A:** Use LSH [1] to initialise **word** bits $\mathbf{B} \in \{-1, 1\}^{N \times K}$
 N : # data-points, K : # bits
- **Repeat for M iterations:**
 - **Step B:** *Graph regularisation*, update the bits of each data-point to be the average of its nearest neighbours

$$\mathbf{B} \leftarrow \text{sgn}(\alpha \mathbf{S} \mathbf{D}^{-1} \mathbf{B} + (1-\alpha) \mathbf{B})$$

* $\mathbf{S} \in \{0, 1\}^{N \times N}$: adjacency matrix, $\mathbf{D} \in \mathbb{Z}_+^{N \times N}$ diagonal degree matrix, $\mathbf{B} \in \{-1, 1\}^{N \times K}$: bits, $\alpha \in [0, 1]$: interpolation parameter, sgn : sign function

- **Step C:** *Word data-space partitioning*, learn hyperplanes that predict the K word bits with maximum margin

$$\text{for } k = 1 \dots K : \min \|\mathbf{f}_k\|^2 + C \sum_{i=1}^N \xi_{ik} \\ \text{s.t. } \mathbf{B}_{ik}(\mathbf{f}_k^T \mathbf{a}_i + b_k) \geq 1 - \xi_{ik} \quad \text{for } i = 1 \dots N$$

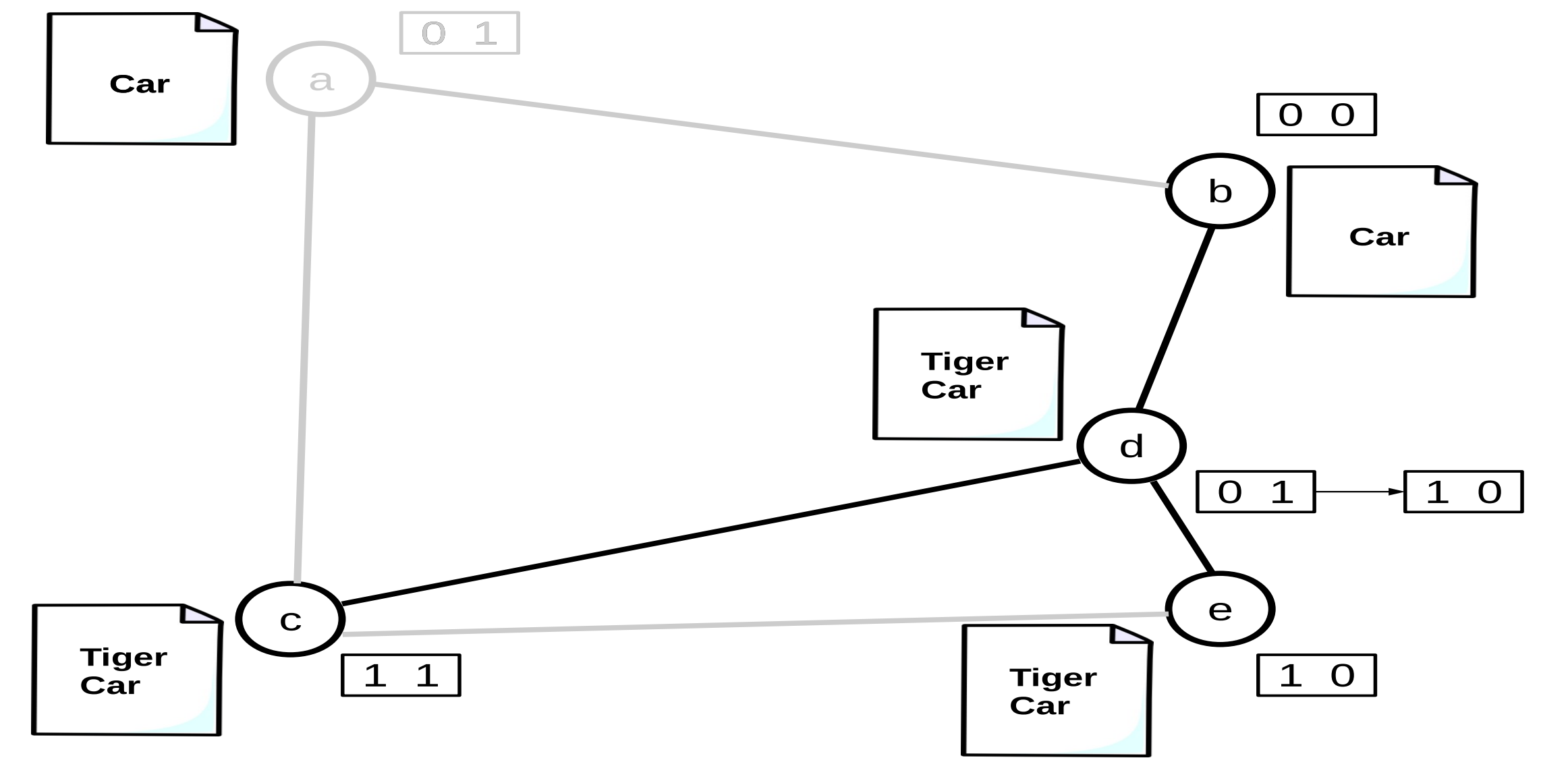
* $\mathbf{f}_k \in \mathbb{R}^D$: **word** hyperplane, $b_k \in \mathbb{R}$: bias, $\mathbf{a}_i \in \mathbb{R}^D$: **word** descriptor, $\mathbf{B}_{ik}$: bit k for **word** data-point $\mathbf{a}_i$, ξ_{ik} : slack variable

- **Step C:** *Visual data-space partitioning*, learn visual hyperplanes $\mathbf{g}_k$ that predict the K word bits $\mathbf{B}_{ik}$ with maximum margin
- **Step D:** Update $\mathbf{B}$: $b_{ik} = \text{sgn}(\mathbf{f}_k^T \mathbf{a}_i + b_k)$

- Use the learnt hyperplanes $\{\mathbf{f}_k, \mathbf{g}_k\}_{k=1}^K$ to generate hashcodes

STEP B: GRAPH REGULARISATION (BIT SMOOTHING)

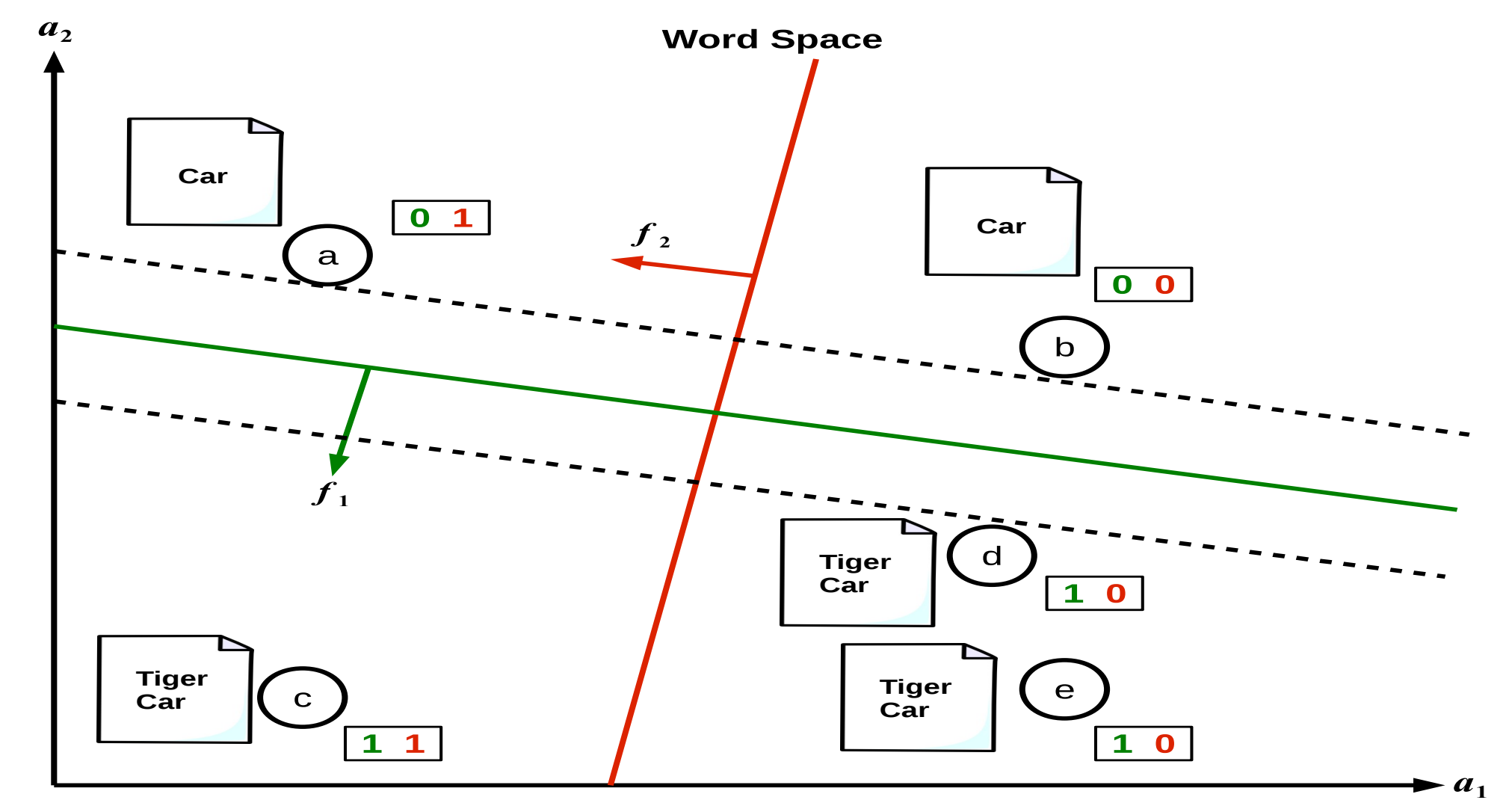
- Set word bits of each data-point to be the average of its neighbours:



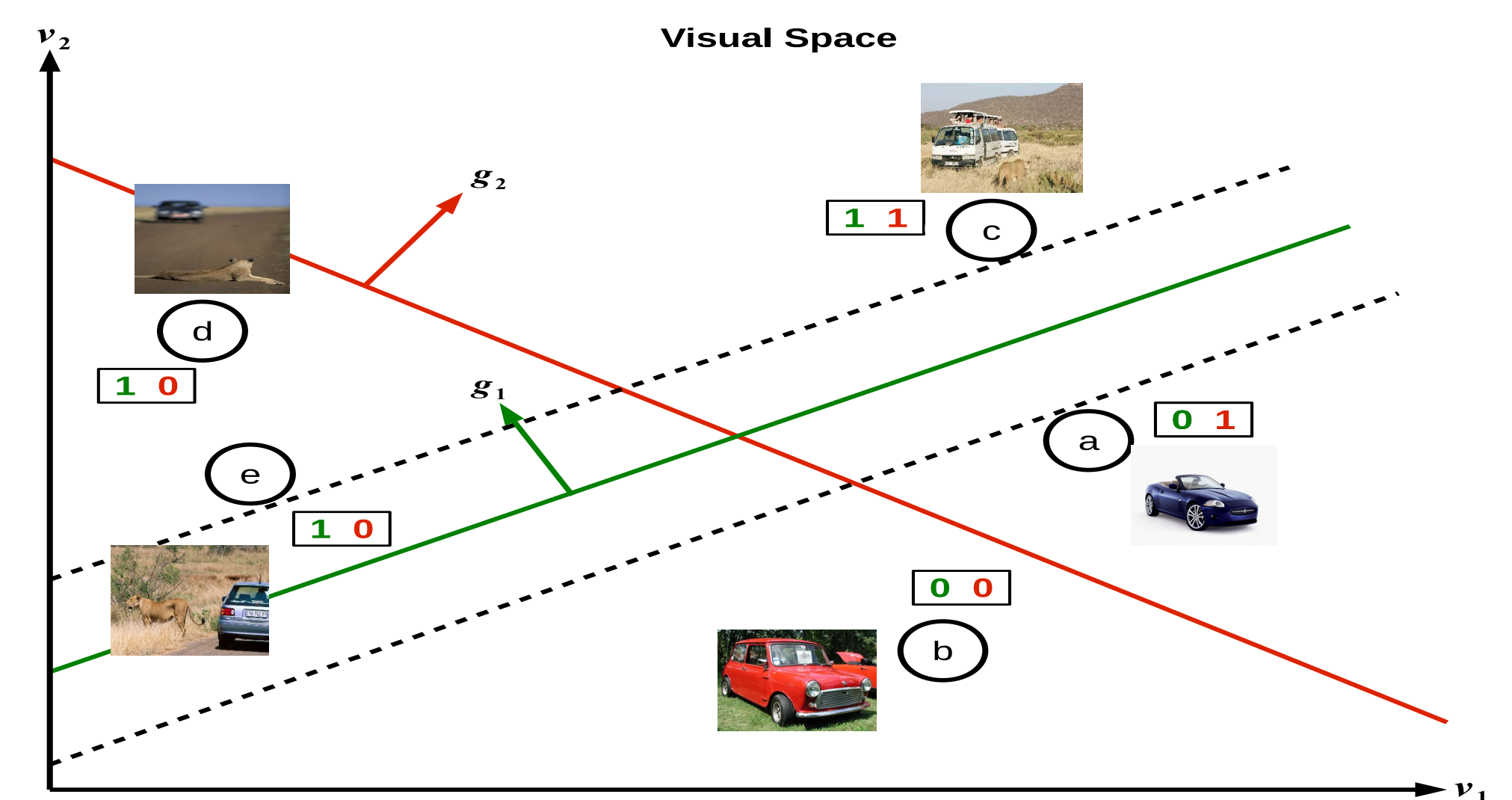
- Data-points are circles, arcs are neighbourhood relationship. Node d's hashcode (01 $\rightarrow$ 10) is updated to be consistent with b,c,e.

STEP C: LEARNING THE HASHTABLE BUCKETS (HYPERPLANES)

- Word hyperplanes $\mathbf{f}_1, \mathbf{f}_2$ learnt using bit 1 (green), bit 2 (red) as labels:

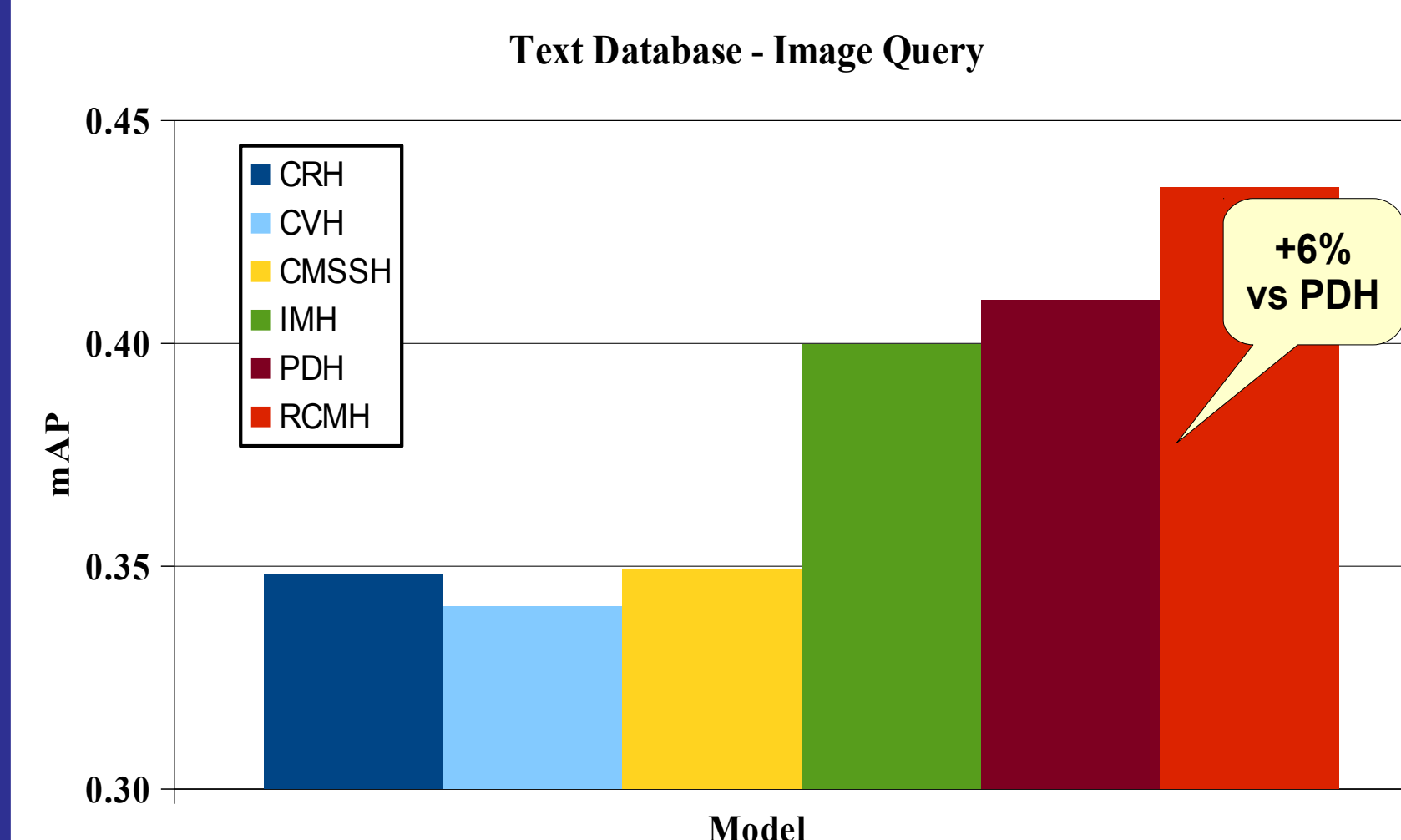


- Visual hyperplanes $\mathbf{g}_1, \mathbf{g}_2$ learnt using same regularised bits:



RESULTS: RETRIEVAL EFFECTIVENESS AND EFFICIENCY

- Retrieval evaluation on two standard multi-modal (text,image) datasets. Image query used to retrieve documents, and vice-versa.
- Retrieval on NUS-WIDE (left). Timing on Wiki dataset (right).



	Training (s)	Test (s)
RCMH	0.336	0.003
PDH [2]	3.715	0.003
CMSSH [3]	5.172	0.003

- Our model more effective *and* efficient than competitive baselines.

CONCLUSIONS AND REFERENCES

- New effective and efficient iterative model for cross-modal hashing
- Hashcode bits smoothed over using adjacency graph are used to learn hashtable buckets (hyperplanes) in word and image space.
- Extend to high volume data stream and cross-lingual retrieval.

References:
[1] Indyk, P., Motwani, R.: Approximate nearest neighbors: Towards removing the curse of dimensionality. In: STOC (1998).
[2] M. Rastegari et al. Predictable dual-view hashing. In ICML'13.
[3] M. M. Bronstein et al. Data fusion through cross-modality metric learning using similarity-sensitive hashing. In CVPR'10.